1.	$y = x^2$ and $y = 4$; about the x-axis.
	(A) $\frac{64\pi}{5}$ (B) $\frac{512\pi}{15}$ (C) $\frac{256\pi}{5}$
	(D) $\frac{128\pi}{5}$ (E) none of these
2.	$y = \ln x, y = 0, x = e; \text{ about the line } x = e.$
	(A) π (c) π (c) π (c) π
	(A) $\pi \int_{1}^{e} (e-x) \ln x dx$ (B) $\pi \int_{0}^{1} (e-e^{x})^{2} dy$ (C) $2\pi \int_{1}^{e} (e-\ln x) dx$
3	(D) $\pi \int_0^e (e^2 - 2e^{y+1} + e^{2y}) dy$ (E) none of these $y = x^2$ and $y = 4$; about the line $y = -1$.
	(A) 4π $\begin{pmatrix} 4 & 4 & 4 \end{pmatrix}$ $\begin{pmatrix} 5 & 4 & 4 \end{pmatrix}$ $\begin{pmatrix} 5 & 4 & 4 \end{pmatrix}$ $\begin{pmatrix} 5 & 4 & 4 \end{pmatrix}$ $\begin{pmatrix} 6 & 4 \end{pmatrix}$ $\begin{pmatrix} 6 & 4 & 4 \end{pmatrix}$ $\begin{pmatrix} 6 & 4$
	(A) $4\pi \int_{-1}^{4} (y+1) \sqrt{y} dy$ (B) $2\pi \int_{0}^{2} (4-x^{2})^{2} dx$ (C) $\pi \int_{-2}^{2} (16-x^{4}) dx$
	(D) $2\pi \int_0^2 (24 - 2x^2 - x^4) dx$ (E) none of these
4.	$y = 3x - x^2$ and $y = 0$; about the x-axis.
	(A) $\pi \int_0^3 (9x^2 + x^4) dx$ (B) $\pi \int_0^3 (3x - x^2)^2 dx$ (C) $\pi \int_0^{\sqrt{3}} (3x - x^2) dx$
	(D) $2\pi \int_0^3 y \sqrt{9-4y} dy$ (E) $\pi \int_0^{9/4} y^2 dy$
5.	$y = 3x - x^2$ and $y = x$; about the x-axis.
	(A) $\pi \int_0^{3/2} [(3x-x^2)^2-x^2] dx$ (B) $\pi \int_0^2 (9x^2-6x^3) dx$
	(C) $\pi \int_0^2 [(3x-x^2)^2-x^2] dx$ (D) $\pi \int_0^3 [(3x-x^2)^2-x^4] dx$
	(E) $\pi \int_0^3 (2x - x^2)^2 dx$
6.	$y = x^2$, $x = 2$, and $y = 0$; about the y-axis.
	(A) $\frac{16\pi}{3}$ (B) 4π (C) $\frac{32\pi}{5}$ (D) 8π (E) $\frac{8\pi}{3}$
7.	The first quadrant region bounded by $y = x^2$, the y-axis, and $y = 4$; about the y-axis.
	(A) 8π (B) 4π (C) $\frac{64\pi}{3}$ (D) $\frac{32\pi}{3}$ (E) $\frac{16\pi}{3}$
8	The area bounded by the parabola $y = 2 - x^2$ and the line $y = x - 4$ is given by
	(A) $\int_{-3}^{3} (6-x-x^2) dx$ (B) $\int_{-3}^{1} (2+x+x^2) dx$ (C) $\int_{-3}^{2} (6-x-x^2) dx$
	(D) $2 \int_{0}^{\sqrt{2}} (2-x^2) dx + \int_{0}^{2} (4-x) dx$ (E) none of these
	If the curves of $f(x)$ and $g(x)$ intersect for $x = a$ and $x = b$ and if $f(x) > g(x) > 0$ for
9.	all x on (a, b) , then the volume obtained when the region bounded by the curves is
	rotated about the x-axis is equal to
	(A) $\pi \int_a^b f^2(x) dx - \int_a^b g^2(x) dx$
	(B) $\pi \int_a^b [f(x) - g(x)]^2 dx$
	14
	(C) $2\pi \int_a^b x[f(x) - g(x)] dx$
	(D) $\pi \int_a^b [f^2(x) - g^2(x)] dx$
	(E) none of these

-Mult Choice Practice: Volume y=4 about x-axis $V = \pi \int_{-\infty}^{\infty} (x^2)^2 dx$ V=TT ((16-x4) dx V=TT. (16x-x5/2)=T(-32-32) = 128T, 2= y=lnx, y=0, x=e about x=e V=11 (e-e9) dy $(4-(-1))^{2}-(x^{2}-1)^{2}$ $y=x^2$, y=4 about y=- $25 - (x^4 - 2x^2 + 1)$

4)
$$y = 3x - x^{2}$$
 and $y = 0$ about $x - ax^{2}$ s

B

 $3x - x^{2} = 0$
 $x^{2} - 3x = 0$
 $x = 0, 3$
 $x = 0, 2$
 $x = 0, 3$
 $x = 0, 3$

$$y = x^{2}, y - axis, y = 4, y - axis$$

$$V = \pi \int_{0}^{4} (\sqrt{y})^{2} dy$$

$$= \pi \left(\frac{1}{2} \int_{0}^{4} (\sqrt{y})^{2} dy \right)$$

$$= \pi \left(\frac{1}{2} \int_{0}^{4} (\sqrt{y})^{2} d$$

